

# Management of dropout during Exercise Tolerance Test

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## Introduction

- Exercise Tolerance Tests (ETT) are used to assess the effect of heart rate (HR) lowering agents during effort.
- Usually, for safety and ethical reasons, each subject can stop the exercise at his own convenience.
- Therefore, missing data due to dropout can be generated, especially when high values of heart rate are reached. This may lead to a possible misinterpretation in model evaluation.

### Purpose

-To illustrate that simple model evaluation can be misleading when missing at random dropout occurs

-To propose two approaches that take into account dropout in order to correctly evaluate the model.

## Material

### Study design

- 12 Healthy Volunteers
- 1 ETT Baseline per subject (i.e before drug administration)
- Steps of Workload (Watt): 0, 50, 100, 150, 180
- HR measurements every minute during ETT + 1 HR at rest (supine position)

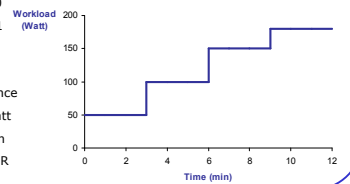
### Missing data

- Each Subject can stop ETT at his own convenience
- 6 HV out of 12 stopped before reaching 180 Watt
- 10 HV out of 12 stopped before reaching 12 min
- Missing data seem to be linked to the level of HR reached : no value over 160 bpm.

### ETT used in this study:

-Bicycle

-Increase of effort intensity every 3 min



## Model without considering Dropout

### PD Model (HR as a function of workload)

Different structural models have been tested (linear, Emax) using NONMEM V. The best one was a linear model.

$HR = \text{Baseline} \cdot \text{Shift} + \text{Slope} \cdot \text{WKLD} + \epsilon$

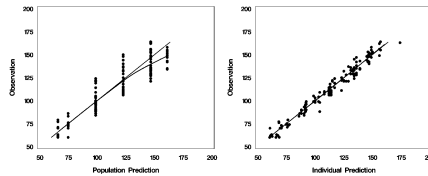
with :

- $\text{Baseline} = \theta_1 \cdot \exp(\eta_1)$  : HR at rest (in bpm)
- $\text{Slope} = \theta_2 \cdot \exp(\eta_2)$  : Increase of HR during ETT
- $\text{Shift} = \theta_3$  : Shift supine/sitting position
- $\text{WKLD}$  : Workload (in watt)
- $\epsilon$  : Additive Residual Error

### Parameters results

	Estimate	CV (%)
Baseline	74.7	3.2
Slope	0.48	4.6
Shift	0.88	3.4
$\text{Var}(\eta_1)$	0.0069	51.4
$\text{Var}(\eta_2)$	0.0207	29.6
$\text{Cov}(\eta_1, \eta_2)$	0.0103	31.4
$\text{Var}(\epsilon)$	28.2	14.1

### Goodness of fit Plots

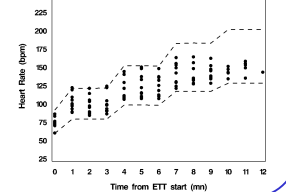


### Problem

Trends in Population GOF and VPC

### Visual Predictive Check

Represents the observations (dots) and the 90% prediction interval of 1000 simulated replicates



## Different types of missing data (Little and Rubin, 2002)

### Missing Completely At Random (MCAR):

The probability of missing is independent of observed values (no repercussion on VPC or GOF)

### Missing At Random (MAR):

Missing data can be predicted based on the observed values

### Missing Not At Random (MNAR):

Missing data can be predicted based both on observed and unobserved values

## Considering Dropout: Approach 1

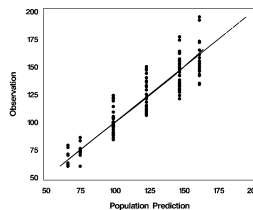
### Method

#### Assumption: MAR dropout

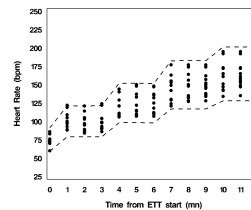
- Imputation of missing data using individual parameter estimates obtained from the PD model built on available observations

### Results

#### Goodness of fit Plot



#### Visual Predictive Check



No longer trends in Pop GOF and VPC in our study

Support the assumption of MAR dropout

#### About this approach

- Appropriate in case of MAR dropout
- Easy to use
- No need to build a dropout model

## Considering Dropout: Approach 2

### Method

#### Assumption: MNAR dropout

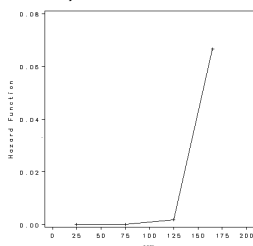
- Considering dropout can have an impact on the PD model
- Development of a dropout model by estimating the probability of dropout at each workload.
- With a joint estimation of the parameters of the PD model and of the dropout model.

#### Remark

- Should present no differences in the PD model in case of MCAR and MAR data

#### Descriptive hazard (from our study)

Estimated hazard function for dropout (Kaplan Meier)



### Results

#### Dropout model

Considering the constraint that risk of dropout at the beginning of ETT is null, the dropout model was estimated as follow:

$\text{HAZARD} = \exp(\text{Slope}_H \cdot (\text{HR} - \text{Int}_H)) - 1$   
IF (HAZARD.LE.0) HAZARD=0

with

$\text{Slope}_H = \theta_4$

$\text{Int}_H = \theta_5$

#### PD model

Different structural models have been tested considering dropout (linear, Emax). The best one was still the linear model.

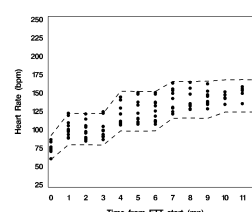
#### Parameters results

	Estimate	CV (%)
Baseline	74.4	3.1
Slope	0.48	4.7
Shift	0.88	3.4
$\text{Slope}_H$	0.004	66.6
$\text{Int}_H$	150	2.7
$\text{Var}(\eta_1)$	0.0068	50.1
$\text{Var}(\eta_2)$	0.0192	32.6
$\text{Cov}(\eta_1, \eta_2)$	0.0094	34.9
$\text{Var}(\epsilon)$	28.2	7.1

#### NONMEM Control file (adapted from NHG Holford)

```
$CONTR DATA= (DVID)
$SUBROUTINE ADVAN6 TOL=6
$CONTR= ./CONTR.FOR
$MODEL
  COMP (CUMHAZ)
  COMP (HZLAST, INITIALOFF)
$PK
  INIV=1
  IF (TEX.EQ.0) INIV=THETA(3)
  BASE=THETA(1) * INIV * EXP(ETA(1))
  SLOPE=THETA(2) * EXP(ETA(2))
$DES
  EFFWKL=WKLSL * T
  HRP=BASE+EFFWKL
  HAZ=EXP(THETA(4) * (HRP-THETA(5))) - 1
  IF (HAZ.LE.0) HAZ=0
  DADT(1)=HAZ
  DADT(2)=HAZ
$EST METHOD=CONDITIONAL LAPLACE
```

#### Visual Predictive Check



#### About this approach

General approach particularly appropriate in case of MNAR dropout

Here, the dropout is MAR: no impact on the PD model and parameter estimates.

## Discussion and conclusion

### Impact of dropout:

- Model evaluation can be misleading when dropout occurs
- Different types of missing data -> Different approaches
- If MAR: approach 1 much easier (no dropout model needed)

### In our study:

- No impact of dropout model estimation on the PD model : MAR dropout
- Model without treatment well evaluated. Will allow a better characterisation of PD model with treatment effect

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